



1) [12] The line on the graph above is obtained by adding waves. Give the wavelength, amplitude, and phase at x=0 of each wave.



2) [20] This peptide contains a glycine and a proline. For the backbone atoms of these two residues:

- a) Indicate the orbital hybidization,
- a) Indicate the geometry,
- a) Mark hydrogen bond donors with a D,
- d) Mark hydrogen bond acceptors with an A.

3) [18] Define the variables/parameters in the equations below.

 $f = 6\pi\eta R_s$ 

f: frictional coefficient  $\eta$ : viscosity  $R_s$ : Stokes radius for a sphere

D = RT/Nf

D: Diffusional coefficient R: gas constant T: temperature N: Avogadro's number f: frictional coefficient

 $s = v/\omega^2 r$ 

s: sedimentation coefficientv: angular velocityr: distance from rotor spindle

$$\frac{i_{\theta}}{I_0} = \frac{2\pi^2 n_o^2 \left(\frac{dn}{dC}\right)^2}{r^2 \lambda^4 N} CM(1 + \cos^2 \theta)$$

 $i_{\theta}$ : intensity of scattered light at angle  $\theta$ 

 $I_{\theta}$ : intensity of scattered light at angle 0

 $n_o$ : index of refraction of solvent

*n*: index or refraction of solution

 $\frac{dn}{dC}$ : specific refractive index increment, i.e., the change in index of refraction with concentration

*r* : distance

N:Avogadro's number

 $\lambda$ : wavelength of light

*C*: concentration

M: molecular weight

 $\theta$ : scattering angle

4) [4] Why is the ski blue? Because of the equation for  $\frac{i_{\theta}}{I_0}$  above. Scattering is wavelength dependent, blue light (small  $\lambda$ ) is scattered more effectively than other colors.

5) [10] Assume brick 1 is at temperature  $T_1$  and brick 2 is at temperature  $T_2$ , and that the two bricks can exchange heat and only heat with each other and are otherwise isolated, and that  $T_1(initial) > T_2(initial)$ .  $S_1$  is the entropy of brick 1 and  $S_2$  is the entropy of brick 2.

- a) What is the relationship between  $T_1(\text{final})$  and  $T_2(\text{final})$ ?  $T_1(\text{final}) = T_2(\text{final})$ ?
- b) What is the relationship between  $S_1(initial)$  and  $S_1(final)$ ? Brick 1 cools and so looses entropy:  $S_1(initial) > S_1(final)$
- c) What is the relationship between  $S_2(initial)$  and  $S_2(final)$ ? Brick 1 heats and so gains entropy:  $S_2(initial) < S_2(final)$
- d) What is the relationship between  $[S_1(initial) + S_2(initial)]$  and  $[S_1(final) + S_2(final)]$ ?

For any spontaneous process the total entropy (of the universe) increases:  $[S_1(initial) + S_2(initial)] < [S_1(final) + S_2(final)]$ 

6) [15] The optimum distance for interaction between two atoms is 0.40 nm. The favorable energy of the interaction is 25 kJ/mol at that distance. Assuming a Lennard-Jones 6-12 potential:

a) Estimate the repulsive and dispersive parameters (A & B). Use  $25 = \frac{A}{r^{12}} - \frac{B}{r^6}$ and  $0 = \frac{-12A}{r^{13}} + \frac{6B}{r^7}$ 

b) Will the energy be more unfavorable 0.35 or at 0.45 nm?

3.5 nm is more unfavorable, because repulsive term has a greater dependence ( $12^{th}$  power) on distance than the attractive term ( $6^{th}$  power).

7) [15] Estimate the entropy of folding of a six residue peptide to a native state (assume the native state is restricted to a single conformational state).

Use  $S = k \ln \omega$ , were  $\omega = 1$  for folded peptide and  $\omega = 3^n$  for the random coil (n=# of residues).

8) [6] Sketch a right-handed double helix.